

CSC344 BNF Assignment

Learning Abstract:

For this task, I assembled BNF grammars in the shapes of mathematical expressions, color outcomes, and other things, and then I came up with a straightforward definition of what BNF meant in English. Problem sets that required generating the parse tree-correlating grammatical descriptions were a difficulty for me.

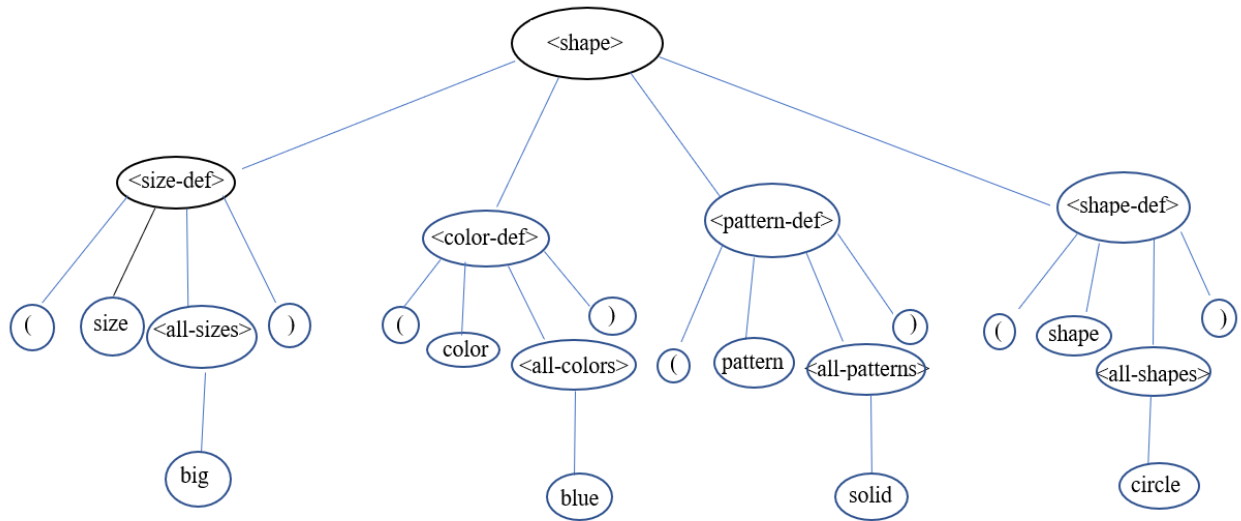
Problem 1 - Shapes

1) Grammar description of the Shapes language

```
<shapes> ::= <size-def> <color-def> <pattern-def> <shape-def>
<size-def> ::= (size <all-sizes>)
<color-def> ::= (color <all-colors>)
<pattern-def> ::= (pattern <all-patterns>)
<shape-def> ::= (shape <all-shapes>)
<all-sizes> ::= small | medium | big
<all-colors> ::= red | blue | yellow
<all-patterns> ::= stripped | dotted | solid
<all-shapes> ::= circle | square | triangle
```

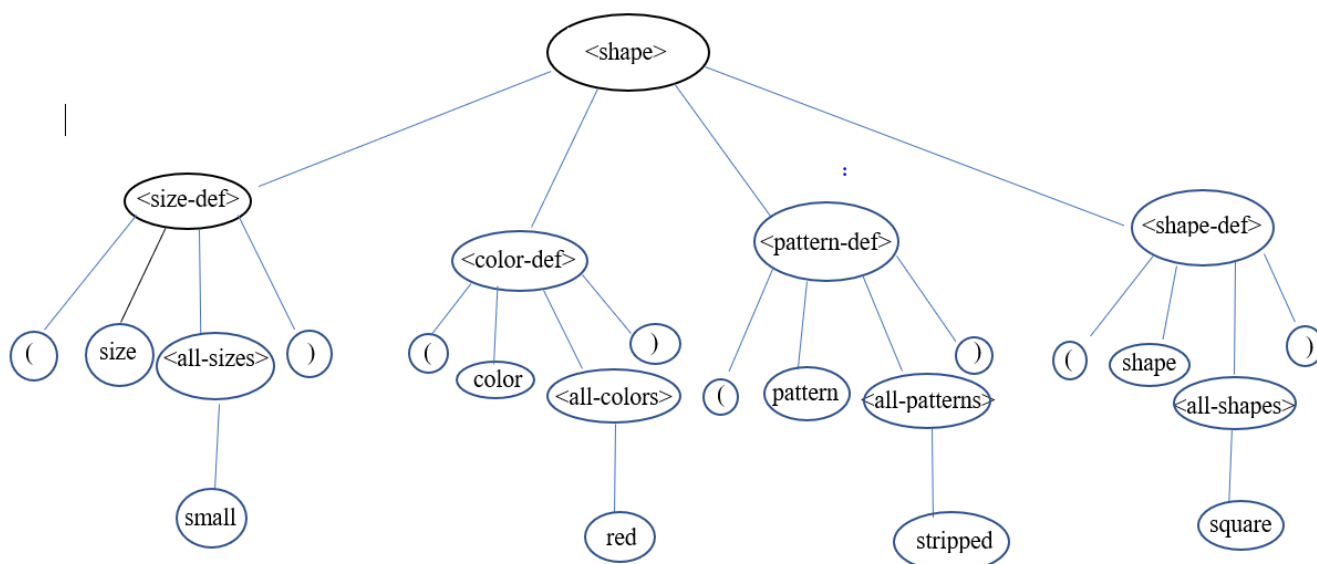
2) Create parse tree:

((size big) (color blue) (pattern solid) (shape circle))



3) Create parse tree:

((size small) (color red) (pattern striped) (shape square))



Problem 2 - SQN (Special Quaternary Numbers)

1. Grammar Description of SQN

$\langle \text{SQN} \rangle ::= 0 \mid \langle \text{NZD} \rangle \langle \text{QS} \rangle$

$\langle \text{NZD} \rangle ::= 1 \mid 2 \mid 3$

$\langle \text{QS} \rangle ::= \langle \text{empty} \rangle \mid \langle \text{QD} \rangle$

$\langle \text{QD} \rangle ::= 0 \mid 1 \mid 2 \mid 3$

NZD - non zero digit

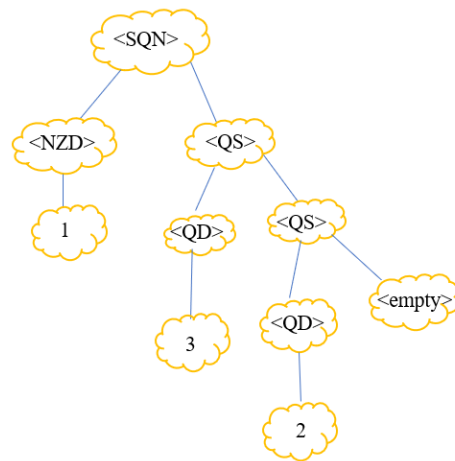
QS - quaternary sequence

QD - quaternary digit

2. Parse Tree for: 0



3. Parse Tree for: 132



3. You cannot draw a parse tree, consistent with the BNF grammar that you crafted, for the string: 1223 because we can't have two adjacent occurrences of the same quaternary digit.

Problem 3 - Fours

1. Grammar Description of Fours

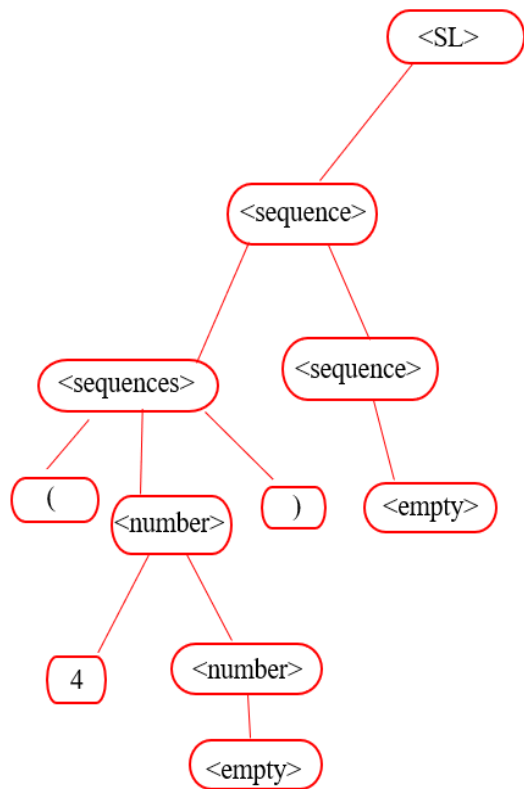
$\langle \text{SL} \rangle ::= \langle \text{empty} \rangle \mid \langle \text{sequences} \rangle$

$\langle \text{sequence} \rangle ::= \langle \text{empty} \rangle \mid \langle \text{sequence} \rangle \langle \text{sequences} \rangle$

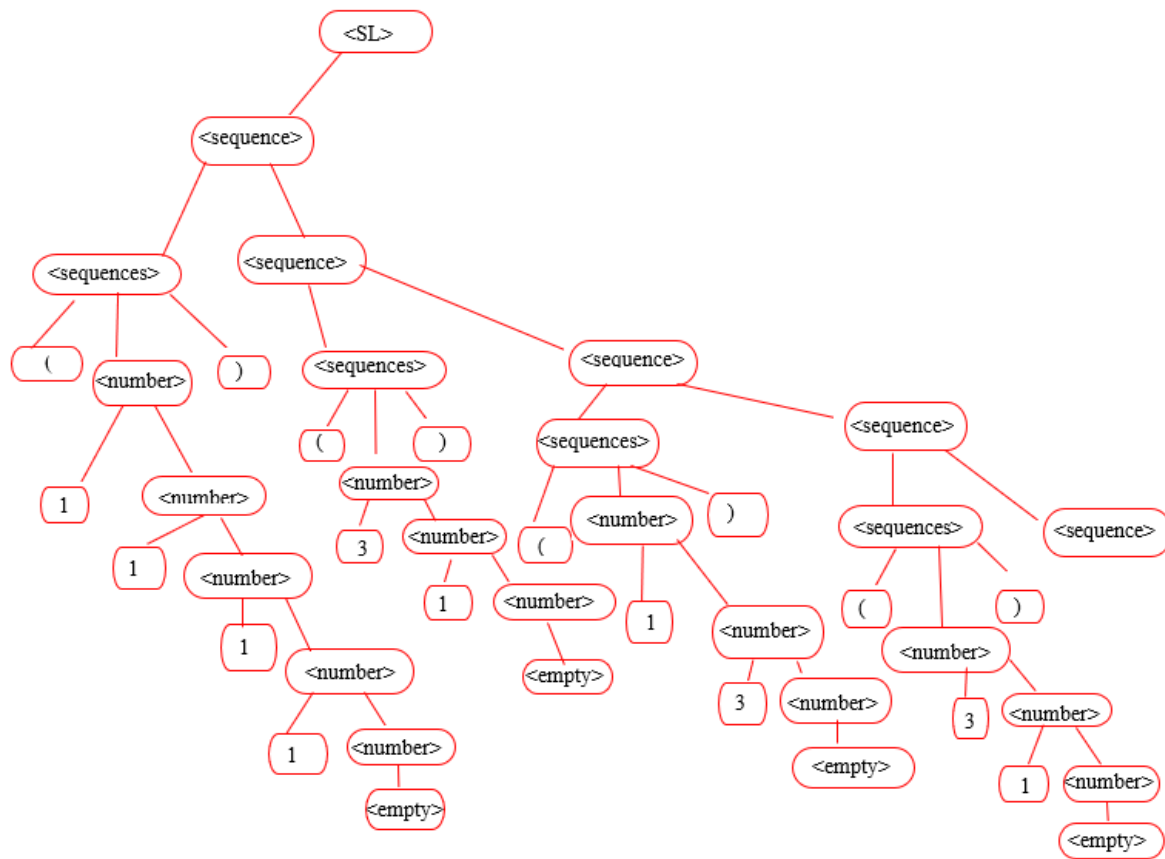
$\langle \text{sequences} \rangle ::= (\langle \text{number} \rangle)$

$\langle \text{number} \rangle ::= \langle \text{empty} \rangle \mid 1 \langle \text{number} \rangle \mid 2 \langle \text{number} \rangle \mid 3 \langle \text{number} \rangle \mid 4 \langle \text{number} \rangle$

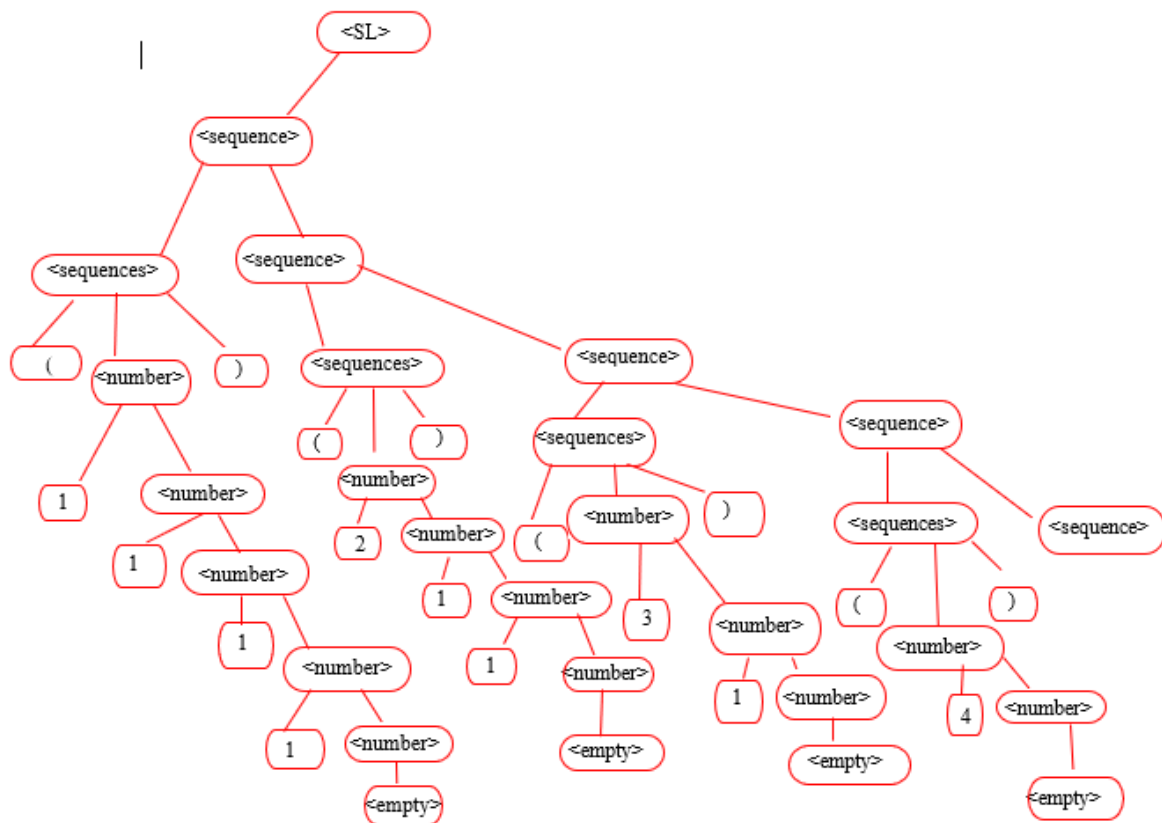
2. Parse Tree for: (4)



3. Parse Tree for: (1 1 1 1) (3 1) (1 3) (3 1)



4. Parse Tree for: (1 1 1 1) (2 1 1) (3 1) (4)



Problem 4 - BXR

1. Grammar Description of BXR

$\langle \text{bxr} \rangle ::= \langle \text{empty} \rangle \mid \langle \text{and} \rangle \mid \langle \text{or} \rangle \mid \langle \text{not} \rangle$

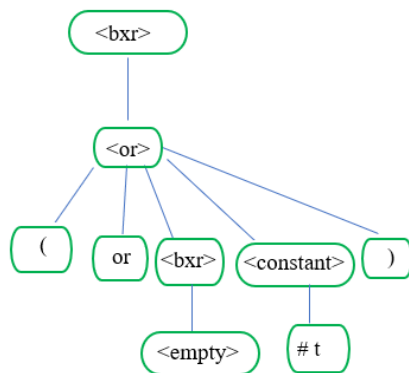
$\langle \text{and} \rangle ::= (\text{ and } \langle \text{bxr} \rangle \langle \text{constant} \rangle)$

$\langle \text{or} \rangle ::= (\text{ or } \langle \text{bxr} \rangle \langle \text{constant} \rangle)$

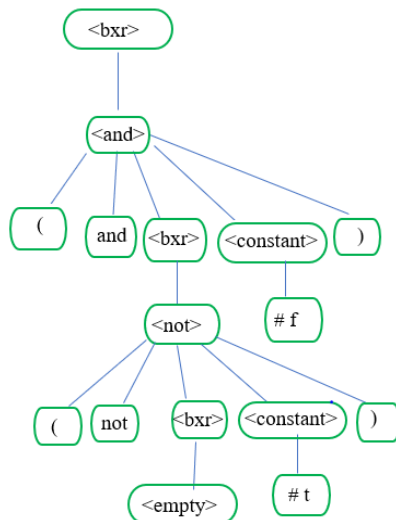
$\langle \text{not} \rangle ::= (\text{ not } \langle \text{bxr} \rangle \langle \text{constant} \rangle)$

$\langle \text{constant} \rangle ::= \#t \mid \#f$

2. Parse Tree for: (or #t)



3. Parse Tree for: (and (not #t) # f)



Problem 5 - CF (Color Fun)

1. Grammar Description for: CF (Color Fun)

$\langle \text{CF} \rangle ::= \langle \text{domain} \rangle$

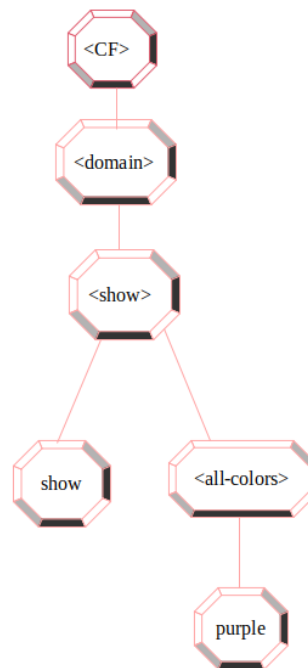
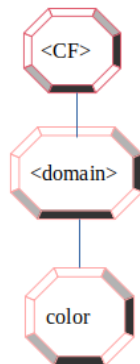
$\langle \text{domain} \rangle ::= \text{color} \mid \langle \text{empty} \rangle \mid \langle \text{add} \rangle \mid \langle \text{show} \rangle$

$\langle \text{add} \rangle ::= (\text{ add color } \langle \text{all-colors} \rangle) \mid (\text{ add } \langle \text{all-rgb} \rangle)$

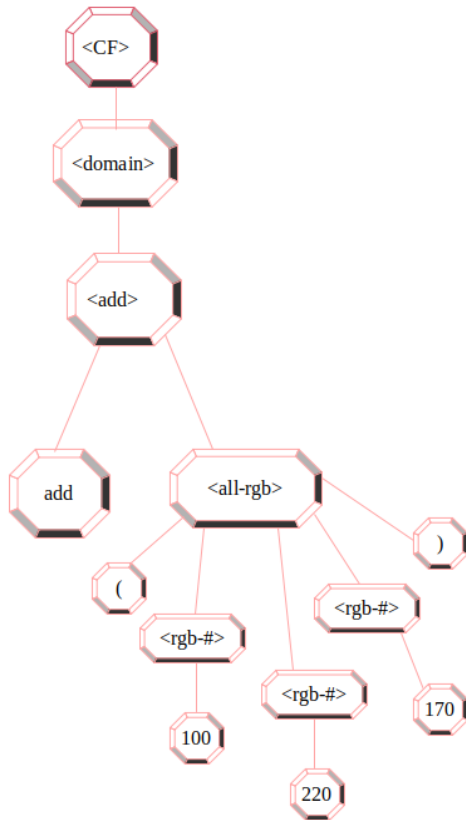
$\langle \text{show} \rangle ::= \text{show } \langle \text{all-color} \rangle$

$\langle \text{all-rgb} \rangle ::= (\langle \text{rgb-}\# \rangle \langle \text{rgb-}\# \rangle \langle \text{rgb-}\# \rangle)$

2. Parse tree for : color and show purple



3. Parse Tree for: add (100 220 170)



Problem 6 - BNF?

BNF (Backus-Naur Form) is a context-free grammar often used by computer language developers to establish a language's syntax rules. John Backus was a programmer who created a notation to document IAL (an early implementation of Algol). Syntactically correct sentences are those that are derived utilizing the production rules. A sentence's syntax may be checked by creating a parse tree that shows how the sentence is produced from the production rules. If such a tree cannot be constructed, the phrase has syntactic mistakes.